



# CALCULATING GRAVITATIONAL POTENTIAL ENERGY

# Calculating Gravitational Potential Energy

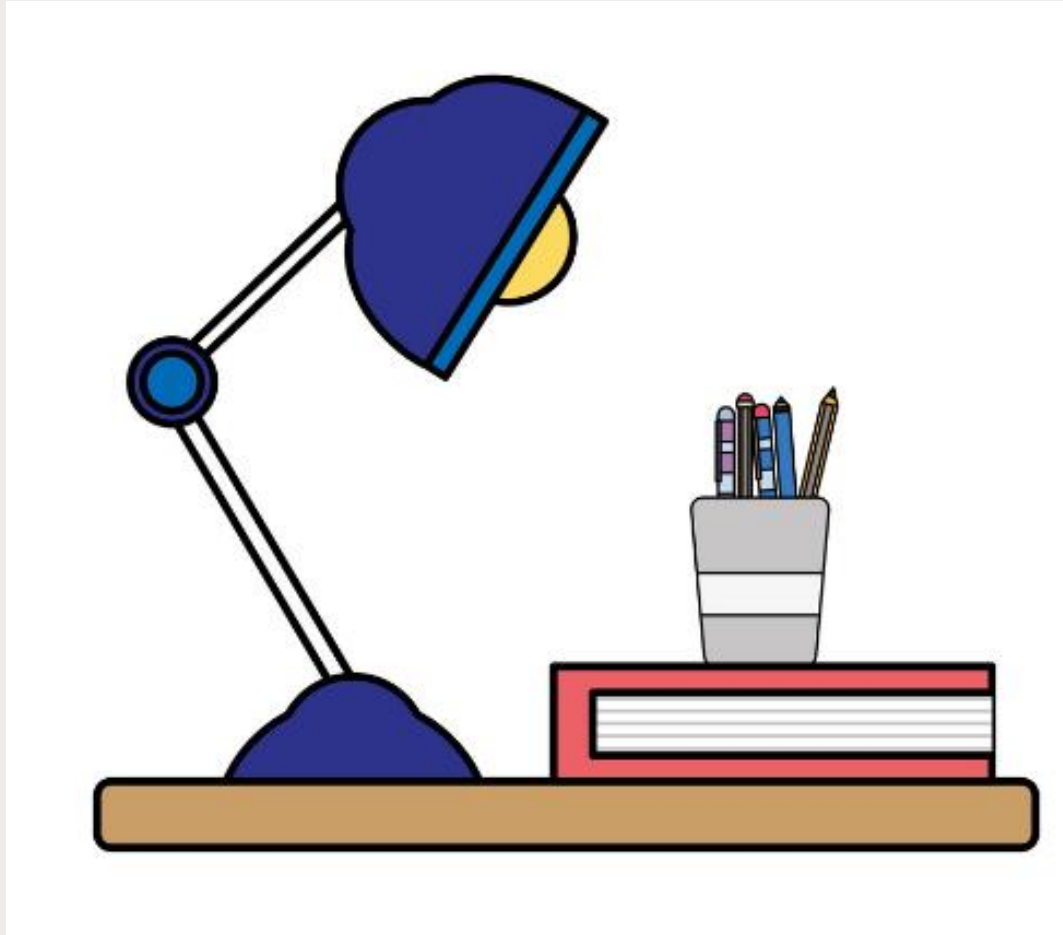
$$\textit{Gravitational PE} = \textit{mass} \times \textit{gravity} \times \textit{height}$$

The **mass** of an object is its resistance to gravity. Mass is measured in grams (g) or fractions/multiples of a gram (centigrams, kilograms, etc.). For this formula, if the mass is given in a different unit, it must be converted to kilograms.

**Gravity** refers to acceleration due to gravity. On earth, this is a constant rate of 9.8 meters per second<sup>2</sup> (m/s<sup>2</sup>)

**Height** refers to how high above sea level an object is positioned. Height is measured in meters (m) or fractions/multiples of a meter (centimeters, decameters, etc.). For this formula, if the height is given in a different unit, it must be converted to meters.

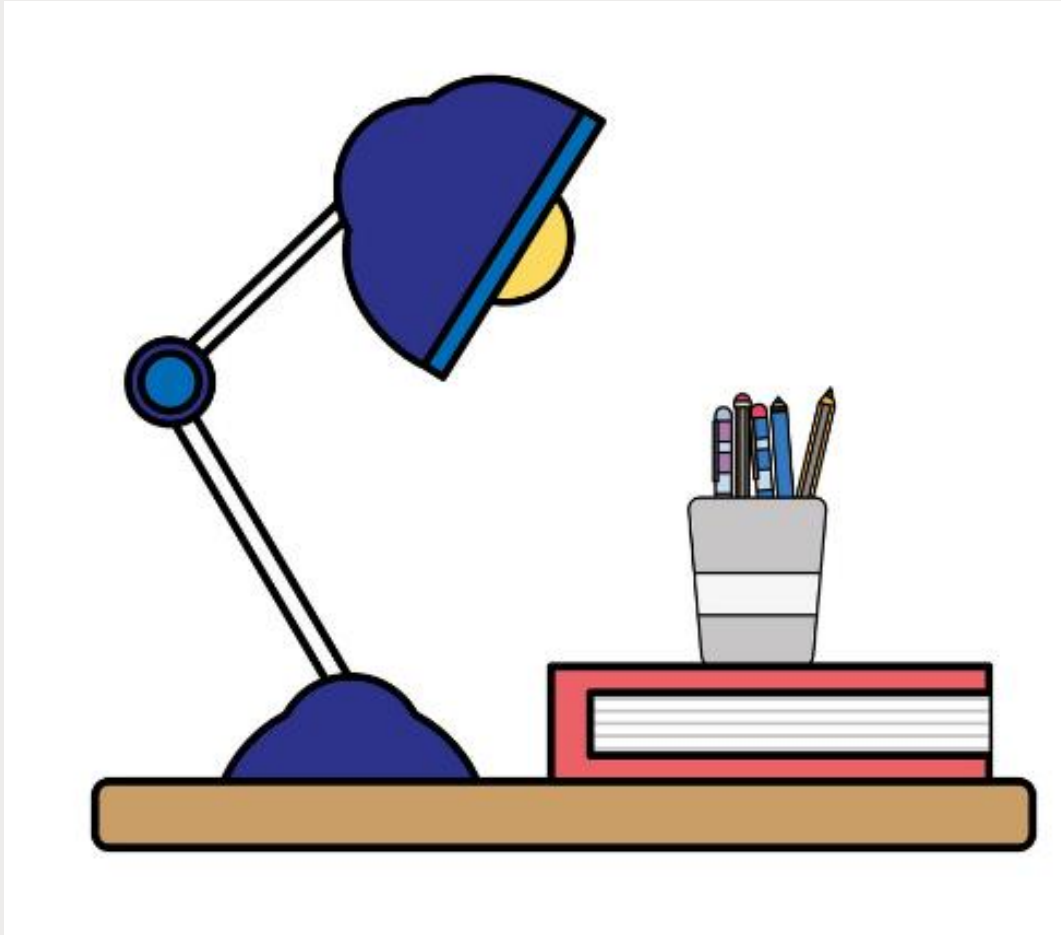
*Gravitational Potential Energy = mass × gravity × height*



We often shorten the equation to  $PE_{\text{grav}} = mgh$

Let's assume the lamp has a mass of 9 kg and the shelf is 3 m high. Given these numbers, we can easily find the amount of Gravitational PE the lamp has.

$$PE_{\text{grav}} = mgh$$



Substitute the numbers given for the variables in the formula.

$$m = 9 \text{ kg}$$

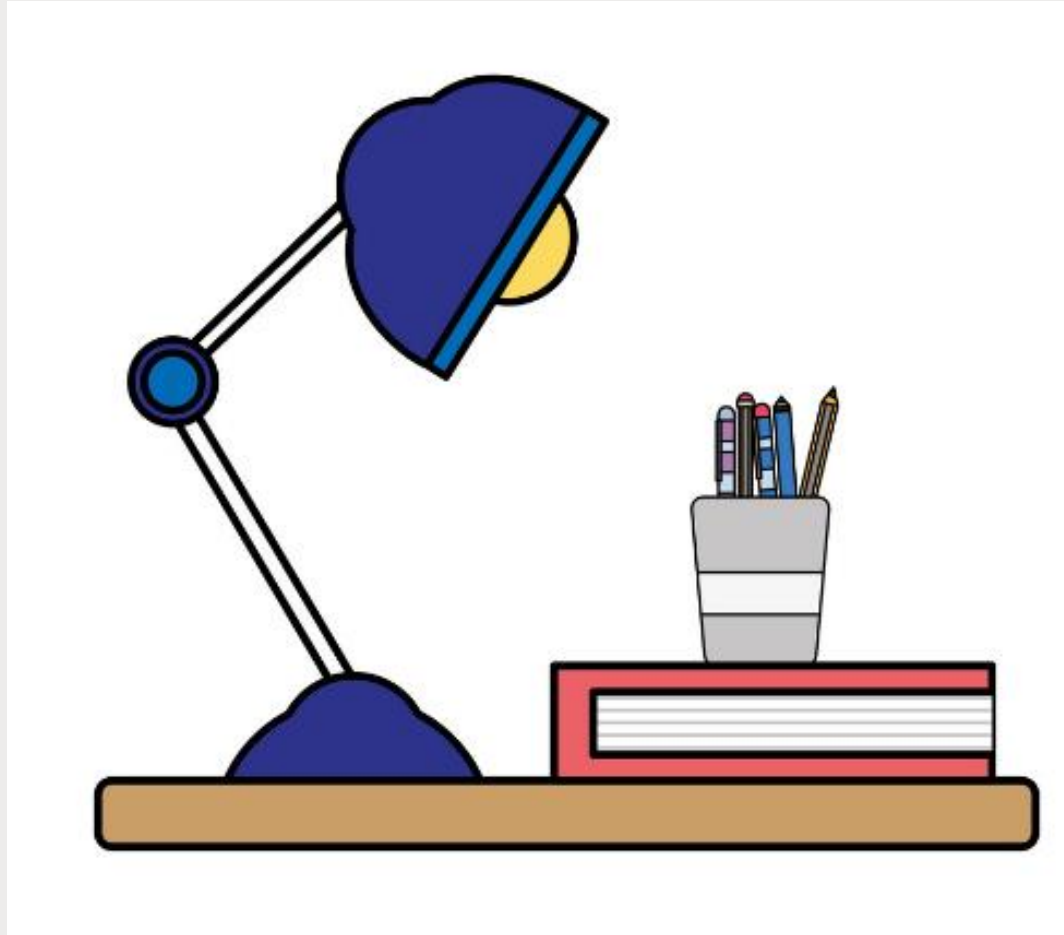
$g = 9.8 \text{ m/s}^2$  (Remember, gravity on Earth is a constant!)

$$h = 3 \text{ m}$$

$$\therefore PE_{\text{grav}} = (9)(9.8)(3)$$

m \* g \* h

$$PE_{grav} = mgh$$



Now Multiply!

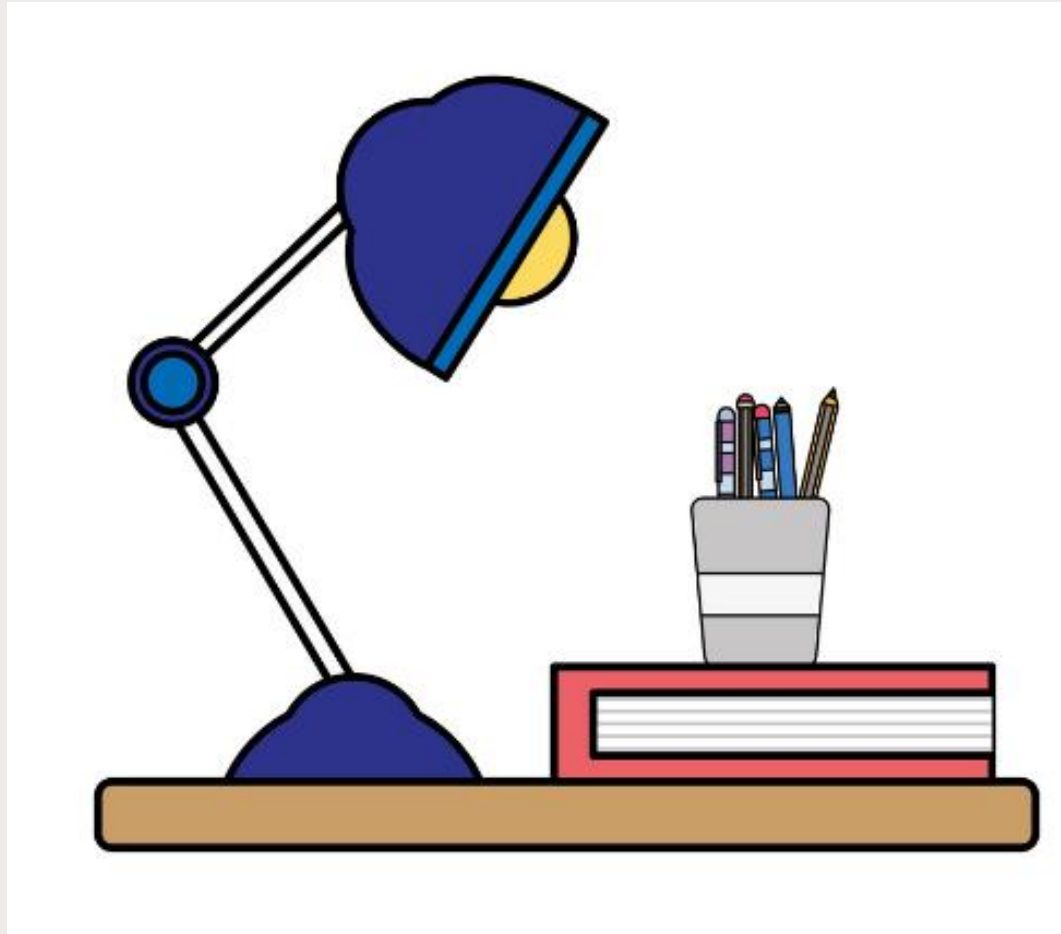
$$PE_{grav} = (9)(9.8)(3)$$

$$\therefore PE_{grav} = 264.6 \text{ J}$$



Remember to use  
the correct units!

$$PE_{grav} = mgh$$



The lamp has 264.6 J  
of Gravitational  
Potential Energy.

You did it!

$$PE_{\text{grav}} = mgh$$

Things to Remember:

- Mass must be in **KILOGRAMS**
- Gravity on Earth has a constant rate of acceleration ( $9.8 \text{ m/s}^2$  —It never changes!)
- Height must be in **METERS**